V(3rd Sm.)-Physics-H/CC-6/CBCS

2021

PHYSICS — HONOURS

Paper : CC-6

(Thermal Physics)

Full Marks : 50

The figures in the margin indicate full marks. Candidates are required to give their answers in their own words as far as practicable.

Answer question no. 1 and any four questions from the rest.

1. Answer any five questions :

- (a) Why is it necessary to introduce the concept of quasi-static process in thermodynamics?
- (b) Explain why the specific heat of gas at constant pressure is greater than that at constant volume.
- (c) Explain that the perpetual motion machine is not possible according to thermodynamics.
- (d) Prove that the adiabatic elasticity of a gas is γ times the isothermal elasticity.

(e) Prove the relation
$$\left(\frac{\partial U}{\partial V}\right)_T = T \left(\frac{\partial P}{\partial T}\right)_V - P.$$

- (f) At what temperature will root mean square speed of oxygen molecule be double its value at N.T.P., while pressure remaining constant?
- (g) Draw the pressure-temperature diagram of H₂O indicating the phases, boundaries and the tripple point.
- 2. (a) A Carnot engine operates between temperatures T_1 and T_2 with a gas as working substance whose equation of state is given by P(V-b) = RT. Work out the expression for the heat absorbed and the

work done in each part of the cycle and show that the efficiency of the cycle is $\left(1 - \frac{T_2}{T_1}\right)$.

(b) Give the Kelvin-Planck statement and Clausius statement of the second law of thermodynamics. Establish the equivalence of the above two statements.

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2×5

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(c) Show that the efficiency of the cycle ABCDA is given by $\eta = \frac{2\pi(T_1 - T_2)}{\pi(T_1 - T_2) + 4(T_1 + T_2)}$.



Given AC = BD.

3+3+4

- 3. (a) Show that the probability of a gas molecule traversing a distance x, without collision, is $e^{-x/\lambda}$, where λ is the mean free path of the gas molecule.
 - (b) Find out the expression for the most probable speed c_m and the number of molecules n(c_m) having speed c_m.
 Plot n(c) vs. c for two different temperatures T and 4T on the same graph.
- 4. (a) Why isotropic distribution of particles is needed to derive the Maxwell's velocity distribution?
 - (b) Why Brownian motion is observed below a definite size of particles only?
 - (c) Find the number of degrees of freedom for (i) H₂O and (ii) CO₂ molecule, assuming linear configuration of the molecules.
 - (d) State law of equipartition of energy. Hence establish the relation between degrees of freedom and the ratio of two specific heats of a gas.
 2+2+3+(1+2)
- 5. (a) Show that for a real van der Waals' gas $C_P C_V = R \left\{ 1 + \frac{2a}{RTV^3} (V b)^2 \right\}.$
 - (b) Show that for an isentropic transformation $\left(\frac{\partial V}{\partial T}\right)_S = -\frac{C_V}{C_P C_V} \left(\frac{\partial V}{\partial T}\right)_P$.
 - (c) Assuming the relation $Tds = C_P dT T \left(\frac{\partial V}{\partial T}\right)_P dP$, show that for isothermal compression

 $\Delta Q = -TV\alpha(p_2 - p_1)$, where ΔQ is the heat transfer when the fluid is compressed isothermally, from a pressure p_1 to p_2 , $\alpha =$ coefficient of volume expansion. 4+3+3

(2)

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- 6. (a) For all living systems, ageing process cannot be stopped. —Which thermodynamics law supports this statement? Explain your answer.
 - (b) Using the Clausius theorem, show that for any process $S_f S_i \ge \int_i^f \frac{dQ}{T}$ where the symbols have their usual meanings.
 - (c) Apply the suitable transformation technique to define Enthalpy in mathematical form.
 - (d) Using the Clausius-Clapeyron equation, investigate the possibility of latent heat to be zero.

(1+2)+3+2+2

- 7. (a) Deduce the expression for amount of cooling of a paramagnetic substance by adiabatic demagnetization.
 - (b) The specific volume of water at 0°C increases by 9.1% on freezing and the latent heat of fusion of ice is 80 cal/gm at atomospheric pressure. Calculate the pressure needed to lower the melting point of ice by 1°C.
 - (c) Show that the enthalpy $H = \left[\frac{\partial \left(\frac{G}{T}\right)}{\partial \left(\frac{1}{T}\right)}\right]_{V}$, where G is the Gibbs energy. 3+4+3